

hello students i am mrs varsha dinesh
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arts and science
i will be taking up the
bachelor of science program in chemistry
semester 5
CHC 106 inorganic chemistry in this unit
the name of the chapter is
periodicity of elements
and the property of one of the
periodicity of elements which i will be
undertaking is electronegativity
and in specific the subtopic pauling
scale
with calculations so the outlines of the
topic
are the main topic is electronegativity
and the sub topic is pauling scale with
calculation
so at the outcomes we will see that at
the end of the module
students will be able to number one
define the periodic property
electronegativity
number two relate the elements of the
periodic table
in terms of electronegativity values by
using the pauling scale
and number three determine the values of
electronegativity
of different elements using the pauling
methods
now what is electronegativity let us
define it
a qualitative measure of the ability of
an atom
to attract the shared electrons to
itself is called electronegativity
the term electronegativity was
introduced by jacob
berzelius in 1811 though the concept was
known even before that
electronegativity is a qualitative
measure
because unlike ionization energy and
electron affinity
which is related to the atoms in the
isolated gaseous state
electronegativity is in the bonded state
and hence not
a measurable quantity what is the
pauling's approach
there are actually three approaches i
will be taking up only one approach in
this module
that is the pauling's approach how has
pauling defined electronegativity
pauling defined electronegativity as the
power of an atom in a molecule
to attract electrons to itself the
pauling scale

is the most widely used scale pauling
 scale
 is a numerical scale of
 electronegativities based on bond energy
 calculations
 for different elements joined by
 covalent bonds
 the range of values for pauling scale of
 electronegativities
 ranges from fluorine which is most
 electronegative
 which has a value of 4 to cesium which
 is the least electronegative
 which has a value of 0.79 hydrogen which
 is the first element in the periodic
 table
 has been given a value of 2.2
 let us now go to the calculations
 pauling calculated electronegativities
 from thermodynamic data
 he has used two concepts one is the
 concept of
 arithmetic mean and second is the
 concept of geometric mean
 so we will see how both the concepts are
 used
 and which one will give us better values
 of electronegativity when we use the
 concept
 so using the first concept he considered
 that
 in a reaction of the type $\frac{1}{2}a + \frac{1}{2}b \rightarrow \frac{1}{2}ab$
 plus half a dash b will give us a
 molecule a b
 this is equation one then the difference
 in the electronegativity of the
 combining atoms
 $x_a - x_b$ is equal to electron volts
 raised to minus half the whole root e
 $\frac{1}{2}(x_a - x_b)$
 the mean of x_a and x_b plus e
 $\frac{1}{2}(x_a + x_b) + e$
 dash b where e a dash b
 x_a and x_b dash b
 represent the bond dissociation energies
 of the molecule a b
 of the molecule a dash b and the
 molecule b dash b
 respectively and x_a and x_b
 denote electronegativities of a and b
 respectively the factor electron volts
 the whole raised to minus half being
 included
 to include a dimensional result example
 let us take an example of a real life
 molecule
 where we have a molecule of hydrogen
 where we will take one atom of hydrogen
 then we have a molecule of chlorine we
 will combine it with
 one atom of chlorine where we will get a
 molecule
 hcl so where the electronegativity of

chlorine is given as
 x_a and electronegativity of hydrogen is given as
 x_b thus continuing
 x_a minus x_b is equal to just rearranging the equation so we bring down
 e_b minus half in the earlier reaction we bring it down so it becomes 1
 divided by root of e_v then
 root of e_a dash p minus the mean of e_a dash a plus e_b dash b
 this is equation three then going to the next equation
 we square up where we have x_a minus x_b the whole square is equal to 1 upon
 e_v e_a dash b
 minus e_a dash a plus e_b dash b the mean that is equation
 number four
 now what is the value of one electron volt so if you want
 you can take the value of the electron volt in kilocalories per mole
 or you can also take the value of electron
 atoms in kilojoules per mole
 so what is the value in electron volts per atom
 is 23.06 kilocalories per mole
 and in terms of kilojoules it is 96.49 kilojoules per moles the bond
 dissociation energy of
 a dash b that is molecule a b is higher than the mean of the bond dissociation
 energies
 of a dash a and b dash b
 and their difference referred to as Δ
 Δ
 is also known as ionic resonance is related to the difference
 in the electronegativities of a and b
 therefore equation 4 can be now rewritten as
 $23(x_a - x_b)^2$ the whole square
 is equal to Δ so from where did we get this 23
 we have to substitute the value of electron volt per atom
 if we are taking in kilocalories per mole if we are taking it
 in kilojoules per mole then we have to substitute 96.49
 so then again x_a minus x_b taking the square root
 we will get 0.208
 root of Δ this is equation six
 now the second concept is the concept of the
 geometric mean now what has he done in with regards to geometric mean he
 considered that in a reaction of the type

it is a similar reaction as you have
 seen when you are considering
 also for the arithmetic mean half a dash
 a
 plus half b dash b will give us the
 molecule
 a b so it is the same way as has been
 done for the arithmetic mean
 but only now the difference is since
 we are taking in terms of geometric mean
 there will be an extra factor which is
 to be added
 so what is this factor which is 1.3 so
 now we can write the equation
 $1.3 x_a \text{ minus } x_b \text{ the whole square}$
 is equal to 1 upon electron volts
 $e_a \text{ dash } b \text{ minus } e_a \text{ dash } a$
 now instead of addition instead of the
 arithmetic mean
 we are multiplying because it is the
 geometric mean so multiplied by
 $e_b \text{ dash } b$ so then equation 3 becomes
 1.3 into 23. now again from where did
 this 23 come
 this 23 is what is the value of electron
 volts
 it is in terms of kilojoules or it can
 be also in taken in terms of kilo
 calories
 so 1.3 multiplied by 23
 $x_a \text{ minus } x_b \text{ the whole square}$ is delta
 prime
 so the earlier one we have taken
 arithmetic mean as delta
 so we have to differentiate and let
 people understand
 so we have taken this as delta prime so
 that you differentiate
 between arithmetic and geometric mean
 now again as i have told earlier the 1.3
 factor is due to the additional energy
 that comes
 from ionic factors that is the polar
 character of the bond
 now 1.3 multiplied by 23 will give us
 29.9
 it can be rounded up so we will get 30
 $x_a \text{ minus}$
 $x_b \text{ the whole square}$ is equal to delta
 prime
 this is equation number four and the
 final equation
 is the difference in the
 electronegativities $x_a \text{ minus } x_b$
 is equal to 0.182
 the whole root of delta prime this is
 equation 5.
 so we have seen both the approaches
 using the arithmetic mean
 as well as the geometric mean now the
 final discussion
 the geometric mean is approximately

equal to the arithmetic mean
when the bond association energies are
of the same value
when there is a larger difference of
bond dissociation energies
the geometric mean is more accurate and
almost
always gives a positive energy excess
due to the ionic bonding thus values of
electronegativities determined by the
geometric mean method
are more closer to the values as given
by the
pauling scale
the references
for this module first one jd lee
concise inorganic chemistry fifth
Edition india
second one
br puri lr sharma
and kc principles of inorganic chemistry
33rd edition third one
kbs lakshmi devi nc patel
ss dhumi venkata chalam sp turakia
inorganic college chemistry for
tybsc
21st edition himalaya publishing house
fourth one satya prakash
advanced inorganic chemistry s chand
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