Welcome students myself.

Ankita Vernekar, assistant Professor, Department of Chemistry government college Sanquelim. today will be presenting for the program Bachelor of Science and the subject chemistry for the semester 2 for the paper code, CHC 102 entitled , physical chemistry and the. Organic chemistry, so today I will be discussing the module no 13 of the Unit 2 chemical equilibrium. That is, a relation between KP kc and Kx for the reaction involving ideal cases. In this module I will be discussing the relation between the equilibrium constant KP and kx. Then we will see a relation between KP and KC. After that we will see the relation between all these three equilibrium constant Kp, kc and kx.

So at the end of this module you should able to derive a relation between the equilibrium constant KP, Kc and kx and should be able to solve the problem based on this relationship. So let us start without today's discussion on the topic. A relation between Kp, kc and kx. So for this, let us consider a following general reaction wherein the a moles of A react with b moles of B to give you the C moles of C + D moles of D. Now for the equation for an ideal gaseous system, the equilibrium constant expression can be written either in terms of partial pressure or concentration, or mole fraction, and so on. When it is expressed in terms of partial pressure, it is represented as Kp, and it is given as a ratio of partial pressure of products to that of the partial pressure of reactant, while when it is expressed in terms of concentration, it is represented as. Kc and is given as a ratio of concentration of product to that of the concentration of the reactant, while when it is expressed in terms of mole fraction, it is represented as Kx is given as mole fraction of product to that of the mole fraction of reactant. Now knowing this how kc, kx and kp are expressed. Let us see how they are related. So first we will see how Kp and KC are related now we know. In an ideal gas, each component obeys Daltons law of partial pressure.

Now what is this Daltons law of partial pressure? It says that at a constant temperature, total pressure is sum of the partial pressure of the each of the component and it is expressesed Pi is equal to Xi into P. So where in the P is total pressure. And Pi is a partial pressure of I th component with a mole fraction Xi the mixture. So this is how the pressure is related to mole fraction. So knowing this relation will see how Kp and Kx are related. For this will consider again a reaction wherein in a moles of A react with be moles or B to give you the c moles of C and d moles of D now for this reaction. The equilibrium constant Kp can be expressed as a ratio partial pressure of product to that of

the partial pressure of the reactant.

That is if you can see over here,

it is expressed as partial pressure

of C raised to coefficient c.

Into partial pressure of D

raised to coefficient d upon

partial pressure of A raised to

coefficient a into partial pressure, of B raised to coefficient b.

Now how we can relate it

to the mole fraction?

We know from Dalton's

law of partial pressure,

we can write a partial pressure as a

product of total pressure into mole fraction.

So we have  $P_A$  is equal to  $X_A$  into P

 $P_{\text{B}}$  is equal to  $X_{\text{B}}$  into P,  $P_{\text{C}}$ 

is equal to Xc into P and  $P_D$ .

is equal to X<sub>D</sub> into P.

Now substituting this terms in

the above expression will get the

expression which is this form. Now if you can see this expression, the pressure is a total pressure. P stands for the total pressure and this is something that is constant so we can take it out along with its coefficient. So we'll get the expression which is in this form that is will get your mole fraction. Something with more friction.

And here we here partial pressure of p

raised to c into p raised to d upon p raised to a into

p raised to b and we know

according from mathematics,

From we know when the base is same,

we can add the powers when two

terms are multiplied we can add the

powers so we can write P raised to

C + D an upon p raised two A+B.

And we know when the base is same

and we the two terms are divided we can subtract the power. So based on this will have the expression P raised to (c + d) minus (a+b)Look at the small fraction term that is nothing but that is your. Kx so we can write. K<sub>P</sub> is equal to K<sub>X</sub> into P raised to delta n where in delta n stands for the change in the number of moles. That is number of moles of product minus number of moles of reactant that will be C + d - A + B. So this is how Kp and Kx s are related now. Let us look at next that is a relation between K<sub>P</sub> and K<sub>C</sub>. That is how KP is related to Kc. Now we know for an ideal gas mixture. We have ideal gas law which is given as  $P_IV$  is equal to  $N_I$  into RT. Now will rearrange the situation

so will get Pi is equal to an ni upon v into RT

what is an ni upon v.

it is nothing but it is concentration.

So we can write it as what Pi is equal

to Ci into RT where Ci stands

which is equal to ni upon is

molar concentration of it component

in the mixture of the total volume.

So this is how we can relate

a partial pressure

with concentration.

So now we'll see how  $K_P$  and  $K_C$ 

are related for this again will

consider reaction wherein A reacts with B to give you C and D the equilibrium constant.

K<sub>P</sub> for this can be expressed as

what a ratio of partial pressure

of products to that of the reactant.

Now from ideal gas law we know

partial pressures can be expressed

in terms of concentration as PA is

equal to  $C_A$  into RT  $P_B$  is equal to.

 $C_B$  into RT,  $P_C$  is equal to  $C_C$  into

RT &  $P_D$  is equal to  $C_D$  into RT.

Now substituting this terms in

the above expression will get

the expression which is in this form if you can see in this expression,

RT are something that is constant so

we can take them out with their power.

So we get the expression,

which is something like this that

is concentration on one side and

RT terms on the other side.

Now here we can apply same

rule when the base is same.

Two terms are multiplied.

The powers can be added.

And when the base is same,

two terms are divided.

The powers can be subtracted,

so using that we can write  $K_{\mathsf{P}}$  is

equal to something with concentration

into RT raised to C + d - A + B.

Now if you see that concentration

terms over here,

it is a ratio concentration of

product to that of the reactant

That is nothing but your Kc.

So we can relate.

KP is equal to Kc in two RT

Raised to delta n where in Delta

is again change the number of moles

So this is how  $K_P$  is related to Kc.

So from this we saw how KP is related to

Kc and how KP is related to Kx. Now

We'll see how all these three

terms are related.

That is how KP, KX and KC are related now

from first derivation we came to

know that  $K_P$  is equal to  $K_X$  into

P raised to delta n, from second derivation

we came to know KP is equal to

Kc into RT raised to delta n.

So from both this we can write K<sub>P</sub>. Is equal to Kx into P raised to delta n which is equal to Kc into RT raised to delta n . This is how KP Kc and Kx are related now. this delta in over here can be negative. It can be positive and or it can be zero when it is 0 the number of moles of product will be equal to number of moles of reactant so delta n is equal to 0 under their condition. Number of moles of product is equal to number of moles of reactant and in that case the  $K_P$  will become equal to  $K_X$ . Is equal to kc, so in this module we discuss the relation between kp, kc and kx OK. Now let us solve some problem based on this relation. OK so the problem is calculate KC for the reaction wherein N 204 is

getting converted to two molecules of No2.

The KP is given to us that

is 0.157 atmosphere

at 25 degrees Celsius and one atmospheric pressure the R which is gas constant is provided to us.

Now how to? Solve this problem.

So we write the reaction whereinN204

is getting converted to an N02.

Now we need to calculate KC.

The KP is given to us so we need to

understand the relation between KP

and KC and the relation is KP is equal

to KC into RT raised to delta n?

So now we will rearrange it in

such a way that we get kc.

OK so will you arrange at kc

is equal to Kp upon RT raised to delta n?

Now in this formula or your KP

is provided to us that is 0.157.atmosphere

R is a gas constant

that is also some constant value which is provided to us T is temperature which is given as 25 degrees Celsius will convert it to Kelvin by adding 273 and now what is this delta n? delta n is change in number of moles so that we will come to know from the reaction, if you see number of moles of product are two and reactant is one so delta n will be 2 minus one that is equal to 1 so substituting. All these values in the Kc equation will get, that is KP 0.157 R as gas constant constant, whatever value that is being given temperature that is 303 Kelvin will get. Kc is equal to 6.38 into ten raised to minus 3 moles per liter. So this is how we can solve the problem based on this KP, KC or KP Kx relation. So in this module we have discussed the

relation between kp, kc and kx and we have

solved problem based on this relation.

So these are the some of the

references that you can refer.

Thank you.